experiment is consistent, however, and gives credence to the measurements.

The theoretical locations of the Wilson Points are indicated by the dashed lines on the figures. It is interesting to note that only slight pressure rises are created in the immediate downstream region. This indicates that, unlike near one-dimensional flows, twodimensional flowfields tend to be capable of absorbing the heat release due to condensation without abrupt changes in the pressure and other flow variables.

Conclusions

By using a simple curved duct with low expansion rate, it has been possible to create a two-dimensional flowfield for wet steam and to obtain marked variations in pressure and mean droplet radius across the passage. Theoretical predictions using a numerical 'time-marching' technique show good agreement with the experimental results.

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